<Programming> 2018 Nice, France

# Language-integrated Provenance in Haskell

Jan Stolarek James Cheney University of Edinburgh Tracing the origin of data.

This talk will focus on provenance in database context.

agencies				
id	name	$based_{-}in$	phone	
1 2	EdinTours Burns's	Edinburgh Glasgow	412 1200 607 3000	

id	name	destination	type
3	EdinTours	Edinburgh	bus
4	EdinTours	Loch Ness	bus
5	EdinTours	Loch Ness	boat
6	EdinTours	Firth of Forth	boat
7	Burns's	Islay	boat
8	Burns's	Mallaig	train

Query: names and phone numbers of agencies organizing boat tours

agencies				
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3	EdinTours	Edinburgh	bus
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7	Burns's	Islay	boat
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```
SELECT et.name, a.phone
FROM agencies AS a, externaltours AS et
WHERE (a.name = et.name) AND (et.type = 'boat')
```

agencies				
id	name	$based_in$	phone	
1	EdinTours	Edinburgh	412 1200	
2	Burns's	Glasgow	607 3000	

ext	externaltours			
id	name	destination	type	
3	EdinTours	Edinburgh	bus	
4	EdinTours	Loch Ness	bus	
5	EdinTours	Loch Ness	boat	
6	EdinTours	Firth of Forth	boat	
7	Burns's	Islay	boat	
8	Burns's	Mallaig	train	

	result			
id	name	phone		
1	EdinTours	412 1200		
2	EdinTours	412 1200		
3	Burns's	607 3000		

agencies				
id	name	$based_in$	phone	
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_			
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8	Burns's	Mallaig	train

	result			
id	name	phone with where-pr	rovenance tracking	
1	EdinTours	$(data = 412 \ 1200,$	$prov = ( ext{``agencies''},  ext{``phone''}, 1))$	
2	EdinTours	$(data = 412 \ 1200,$	prov = ("agencies", "phone", 1))	
3	Burns's	$(data = 607 \ 3000,$	prov = ("agencies", "phone", 2))	

age	agencies				
id	name	$based_in$	phone		
1	EdinTours	Edinburgh	412 1200		
2	Burns's	Glasgow	607 3000		

name	destination	type
EdinTours	Edinburgh	bus
EdinTours	Loch Ness	bus
EdinTours	Loch Ness	boat
EdinTours	Firth of Forth	boat
Burns's	Islay	boat
Burns's	Mallaig	train
	name EdinTours EdinTours EdinTours EdinTours Burns's Burns's	namedestinationEdinToursEdinburghEdinToursLoch NessEdinToursLoch NessEdinToursFirth of ForthBurns'sIslayBurns'sMallaig

	result			
id	name	phone with where-pr	rovenance tracking	
1	EdinTours	$(data = 412 \ 1200,$	prov = (``agencies'', ``phone'', 1))	
2	EdinTours	$(data = 412 \ 1200,$	prov = ("agencies", "phone", 1))	
3	Burns's	$(data = 607 \ 3000,$	prov = ("agencies", "phone", 2))	

agencies				
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name	destination	type
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EdinTours	Loch Ness	boat
EdinTours	Firth of Forth	boat
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	result			
id	name	phone	lineage	
1	EdinTours	412 1200	[( "agencies" , 1), ( "externaltours" , 5)]	
2	EdinTours	412 1200	[("agencies", 1), ("externaltours", 6)]	
3	Burns's	607 3000	[("agencies", 2), ("externaltours", 7)]	

agencies				
id	name	$based_in$	phone	
1	EdinTours	Edinburgh	412 1200	
2	Burns's	Glasgow	607 3000	

ext	externaltours				
id	name	destination	type		
3	EdinTours	Edinburgh	bus		
4	EdinTours	Loch Ness	bus		
5	EdinTours	Loch Ness	boat		
6	EdinTours	Firth of Forth	boat		
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	result			
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3	Burns's	607 3000	[( "agencies", 2), ( "externaltours", 7)]	

Still an experimental feature found only in research prototypes (e.g. Links).

Our goal: provenance as library.

Our approach: extend Database Supported Haskell (DSH) library with provenance support.

In this talk Haskell = GHC (Glasgow Haskell Compiler)

Haskell is a purely functional, statically typed programming language.

It has a rich and expressive type system.

Good for implementing Embedded Domain-Specific Languages (EDSLs).

# DSH created by Torsten Grust and Alexander Ulrich<sup>1</sup>.

Provides language-integrated queries in Haskell by overloading list comprehension notation.

<sup>&</sup>lt;sup>1</sup> "The Flatter, the Better: Query Compilation Based on the Flattening Transformation", ACM SIGMOD 2015

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# Database Supported Haskell example

SELECT a1.name AS i1, a0.phone AS i2 FROM agencies AS a0, externaltours AS a1 WHERE (a0.name = a1.name) AND (a1.type = 'boat') Lineage tracing obtained by calling a library function on an existing query:

```
q1L :: Q (LT [(String, String)] Integer)
q1L = lineage q1
```

- Haskell source. GHC extensions + DSH module imports
- Frontend Language (FL). Typing invariants embedded inside Haskell's type system.
- Additional translations and compilation to SQL.

Lineage transformation:

- follows query rewriting approach developed in Links
- global rewriting of the whole syntax tree
- accompanied by a type translation

```
q1L :: Q (LT [(String, String)] Integer)
q1L = lineage q1
```

$$\begin{split} \mathfrak{L}_{\theta}(\textbf{table}_{(n: \textbf{string}, \phi: R \to \theta)}) &= \\ \mathfrak{L}_{\theta}(\textbf{concatMap}(\lambda f.M) xs) &= \\ \mathfrak{L}_{\theta}(\textbf{map}(\lambda f.M) xs) &= \\ \mathfrak{L}_{\theta}(\textbf{map}(\lambda f.M) xs) &= \\ \mathfrak{L}_{\theta}(\textbf{append} xs ys) &= \\ \mathfrak{L}_{\theta}(\textbf{reverse} xs) &= \\ \mathfrak{L}_{\theta}(\textbf{reverse} xs) &= \\ \mathfrak{L}_{\theta}(\textbf{zip} xs ys) &= \\ \mathfrak{L}_{\theta}(\textbf{zip} xs ys) &= \\ \mathfrak{L}_{\theta}(\textbf{zip} xs ys) &= \\ \mathfrak{L}_{\theta}(\textbf{guard} s) &= \\ \mathfrak{L}_{\theta}(\textbf{M}, \dots, \textbf{M}_{n}) &= \\ \mathfrak{L}_{\theta}(\textbf{M}, n) &= \\ \mathfrak{L}_{\theta}(\textbf{M}, n) &= \\ \mathfrak{L}_{\theta}(\textbf{M}, n) &= \\ \end{split}$$

$$\begin{array}{rcl} \mathfrak{L}([\delta]) &=& [\mathfrak{L}(\delta)^L] \\ \mathfrak{L}(\delta_1, \dots, \delta_n) &=& (\mathfrak{L}(\delta_1), \dots, \mathfrak{L}(\delta_n)) \\ \mathfrak{L}(\mathbf{0}) &=& \mathbf{0} \\ \mathfrak{L}(\mathbf{String}) &=& \mathbf{String} \\ \mathfrak{L}(\mathbf{Bool}) &=& \mathbf{Bool} \\ \mathfrak{L}(\mathbf{Int}) &=& \mathbf{Int} \end{array}$$

Our achievements:

- implementation of provenance tracking as part of a library, rather than as part of a compiler
- maintaining all the benefits of DSH type safety

Open questions and further research:

- challenging to express typing rules in the EDSL approach; perhaps a different meta-programming technique would be better?
- how to replicate this result in other languages (Scala, F#)?

More in the paper:

- where-provenance tracking
- details on surface encodings of provenance
- formal specification of FL, where-provenance and lineage transformations
- detailed description of DSH implementation and explanation of technical challenges

Implementation available at:

https://github.com/jstolarek/skye-dsh

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# Language-integrated Provenance in Haskell

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$$\begin{split} \mathfrak{L}_{\theta}(\mathsf{table}_{(n:\mathsf{string},\phi:R\to\theta)}) &= \max \left(\lambda x.x^{(t,\phi(x))}\right) \mathsf{table}_{(t:\mathsf{string},\phi:R\to\theta)} \\ \mathfrak{L}_{\theta}(\mathsf{concatMap}(\lambda f.M) xs) &= \mathsf{concatMap}(\lambda x.\\ \max \left(\lambda x.(z.\mathsf{data}^{z.\mathsf{prov}\oplus x.\mathsf{prov}})\right) \mathfrak{L}_{\theta}((\lambda f.M)(x.\mathsf{data}))) \\ \mathfrak{L}_{\theta}(xs) \\ \mathfrak{L}_{\theta}(\mathsf{map}(\lambda f.M) xs) &= \mathsf{concatMap}(\lambda x.\\ \max \left(\lambda x.(z.\mathsf{data}^{z.\mathsf{prov}\oplus x.\mathsf{prov}})\right) \mathfrak{L}_{\theta}[(\lambda f.M)(x.\mathsf{data})]) \\ \mathfrak{L}_{\theta}(xs) \\ \mathfrak{L}_{\theta}(\mathsf{append} xs ys) &= \mathsf{append}(\mathfrak{L}_{\theta}(xs)) (\mathfrak{L}_{\theta}(ys)) \\ \mathfrak{L}_{\theta}(\mathsf{reverse} xs) &= \mathsf{reverse}(\mathfrak{L}_{\theta}(xs)) \\ \mathfrak{L}_{\theta}(\mathsf{reverse} xs) &= \mathsf{map}(\lambda x.(x.1.\mathsf{data}, x.2.\mathsf{data})^{x.1.\mathsf{prov}\oplus x.2.\mathsf{prov}}) \\ \mathfrak{L}_{\theta}(\mathsf{zip} xs ys) &= \mathsf{map}(\lambda x.(x.1.\mathsf{data}, x.2.\mathsf{data})^{x.1.\mathsf{prov}\oplus x.2.\mathsf{prov}}) \\ \mathfrak{L}_{\theta}(\mathsf{c}) &= c \\ \mathfrak{L}_{\theta}(x) &= x \\ \mathfrak{L}_{\theta}(\mathsf{cms} x xs) &= \mathsf{cons}(\mathfrak{L}_{\theta}(x)) (\mathfrak{L}_{\theta}(M_{1}), \dots, \mathfrak{L}_{\theta}(M_{n})] \\ \mathfrak{L}_{\theta}(\mathsf{cons} x xs) &= \mathsf{cons}(\mathfrak{L}_{\theta}(x)^{\perp}) (\mathfrak{L}_{\theta}(xs)) \\ \mathfrak{L}_{\theta}(\mathsf{guard} b) &= \mathsf{map}(\lambda x.x^{\perp}) (\mathsf{guard} b) \\ \mathfrak{L}_{\theta}(M_{1}, \dots, M_{n}) &= (\mathfrak{L}_{\theta}(M_{1}), \dots, \mathfrak{L}_{\theta}(M_{n})) \\ \mathfrak{L}_{\theta}(M_{n}) &= (\mathfrak{L}_{\theta}(M)).n \end{split}$$